

cyclic Redundancy Check (CRC)

21 Friday

श्रावण सुदी ०४-२०८०

It is based on the concept of Binary Division.

CRC Generator :-

i) Append string of n 0's to the data unit.

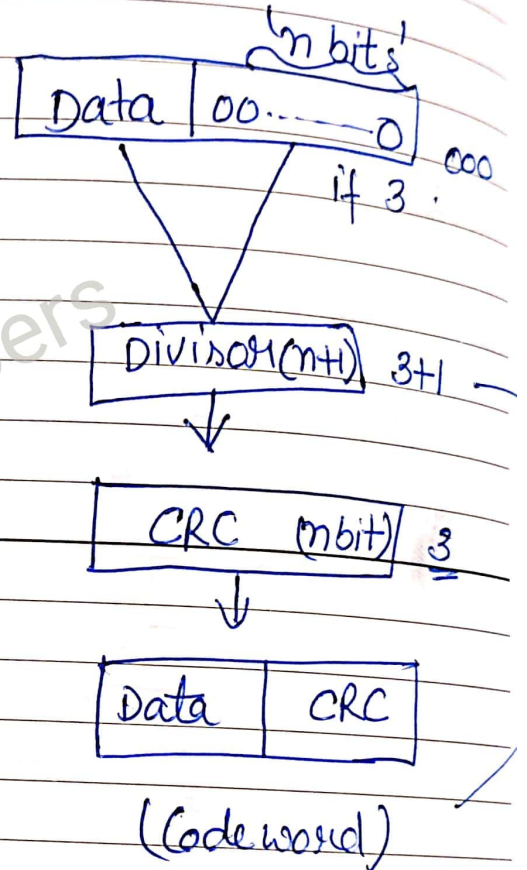
ii) Divide newly generated data unit into by the divisor (Polynomial)

iii) Remainder after (ii) is n bit CRC.

22 Saturday

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IV) The CRC will replace n 0's to get codeword to be transmitted.



23 Sunday

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$$x^4 + x^3 + 1 = \text{divisor}$$

polynomial

Max power.

$$1 \cdot x^4 + 1 \cdot x^3 + 0 \cdot x^2 + 0 \cdot x^1 + x^0 \cdot 1$$

$$1 \quad 1 \quad 0 \quad 0 \quad 1$$

CRC checker:- Here the receiver divides the data unit by same divisor which was used by the transmitter. The remainder of the division is then checked

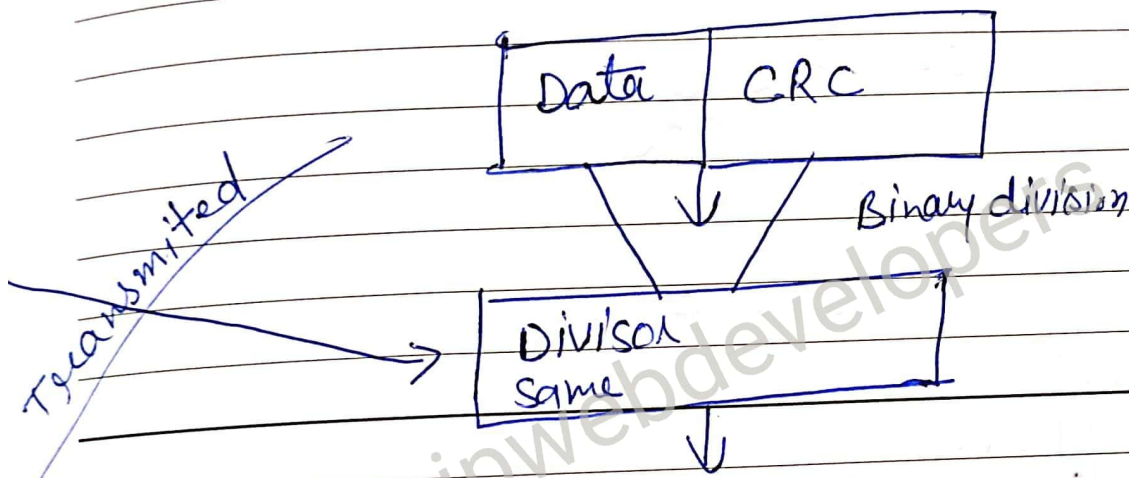
Monday 24

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Remainder is 0

Remainder is not 0

JUL '23



Remainder

0

not 0

no error

Error occur

Tuesday 25

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handwritten notes by jpwebdevelopers

eg:-

26 Wednesday
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Dataset = 1001
Divisor = 1011 (n+1)

0 ⊕ 0 = 0
0 ⊕ 1 = 1
1 ⊕ 0 = 1
1 ⊕ 1 = 0

$$\begin{array}{r}
 10 \\
 1011 \overline{) 1001000} \\
 \underline{1011111} \\
 001000 \\
 \underline{1011} \\
 00110 \text{ Remainder} \\
 \text{CRC}
 \end{array}$$

Receiver side - 1001110

$$\begin{array}{r}
 1011 \overline{) 1001110} \\
 \underline{1011111} \\
 001011 \\
 \underline{1011} \\
 00000 \rightarrow \text{no error}
 \end{array}$$

27 Thursday
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① eg:- CRC generator $x^7 + x^6 + x^4 + x^3 + x + 1$

$$|x^7 + x^6 + 0x^5 + x^4 + x^3 + 0x^2 + x + 1| \quad 1$$

1 1 0 1 1 0 1 1

② Bit 1101011011 divisor $x^4 + x + 1$ (10011)

Remain = 1110

③ 10011101 — $x^3 + 1$ (1001)